

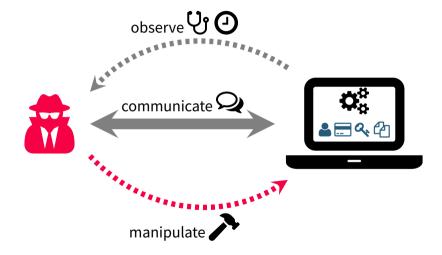
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Includes results of joint works with Joan Daemen, Christoph Dobraunig, Hannes Groß, Thomas Korak, Stefan Mangard, Florian Mendel, Robert Primas

Graz Security Week, 20 September 2019

Effective Attacks

#### Motivation



### **=** Outline

- Differential Fault Attacks
  - Flipping Bits in Symmetric Crypto
  - A Detour to Differential Cryptanalysis
  - Application to AES
- Countermeasures
  - Error Detection
  - Ineffective Fault Attacks and Friends
  - Side-Channel Countermeasures
  - Statistical Fault Attacks
- Statistical Ineffective Fault Attacks

Introduction to Fault Attacks

# **Causing Faulty Computations**

Extreme environmental conditions or targeted manipulations can cause errors in a processor's operation due to physical corruption. Examples:

- Very high temperature
- Unsupported supply voltage or current, voltage glitches
- Overclocking, clock glitches
- Excessive memory accesses
- **U** Strong electric or magnetic fields
- ♣ Ionizing radiation
- **L**aser

#### Possible Fault Effects

Fault effects in electronic devices have been studied at least since the 1950s, for example for radiation from nuclear testing:

- ∠ Long-term effects, e.g., cumulative effect of "Total Ionization Dose (TID)"
- Sudden effects, e.g., charged particle hits the circuit: "Single-Event Effects (SEE)"
  - Causing permanent damage (hard error)
     e.g., shorts between ground and power: "Single-Event Latch-ups (SEL)"
  - Causing temporary damage (soft error)
     e.g., transient pulse flips a bit in memory cell: "Single-Event Upsets (SEU)"

Some possible effects in processors:

- Flip a data bit
- Reset a data bit to 0
- Skip an instruction

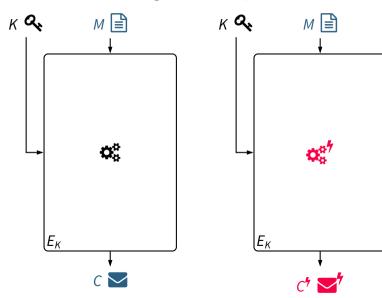
### **Applications**

#### Some examples:

- Skipping or changing vital security check instructions
  - Password comparison result
  - DRM checks in Games, TV, ...
  - sudo or access rights checks
  - **...**
- Recover a cryptographic key
  - Public-key crypto, e.g., RSA [BDL97]
  - Secret-key crypto, e.g., AES, DES [BS97]

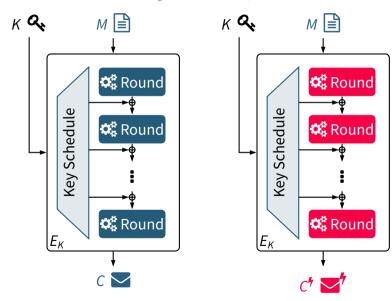
**Differential Fault Attacks** 

# Scenario: Faulting a Block Cipher



- Multiple executions
- Get correct ciphertext C and faulty C\*

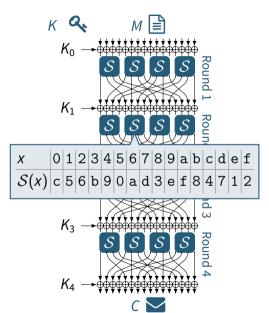
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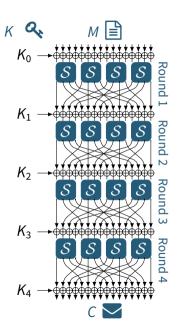
- Multiple executions
- Get correct ciphertext C and faulty C<sup>†</sup>

# Example: A 16-bit Toy Block Cipher

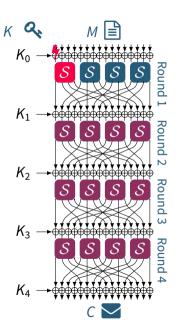
- Key Addition (xor)
- S-box layer (lookup table) for confusion
- Linear layer (rewiring, maybe xor) for diffusion



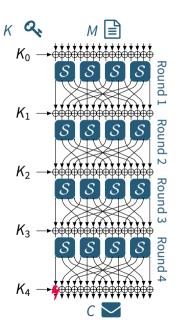
- At the beginning?Bad idea, too much confusion
- At the very end?
   Bad idea, effect doesn't depend on the key
- Before the last key addition? Bad idea, effect doesn't depend on the key
- Before the last S-box layer? A-ha! What's going on?



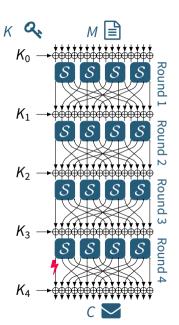
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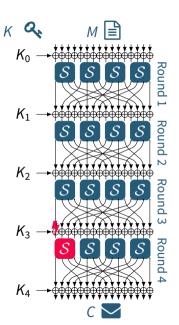
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### A Detour to Differential Cryptanalysis

- One of the two most important cryptanalytic attacks for secret-key crypto Biham and Shamir [BS90]
- Chosen-plaintext attack (no cheating with the implementation!)
- Main idea:
  - 1. Predict effect of plaintext difference  $\Delta M = \bigsqcup M \oplus \bigsqcup M^*$  on ciphertext difference  $\Delta C = \bigsqcup C \oplus \bigsqcup C^*$  without knowing  $\maltese K$
  - 2. Use prediction as distinguisher to recover the key

$$\Delta in = 8 \rightarrow \Delta out = ?$$

X																
S(x)	2	0	4	3	9	5	6	7	1	d	е	f	a	8	С	b

$$\Delta in = 8$$
  $\rightarrow \Delta out = ?$ 

$$\Delta in = 8$$

$$x \quad 0 \quad 1 \quad 2 \quad 3 \quad 4 \quad 5 \quad 6 \quad 7 \quad 8 \quad 9 \quad a \quad b \quad c \quad d \quad e \quad f$$

$$S(x) \quad 2 \quad 0 \quad 4 \quad 3 \quad 9 \quad 5 \quad 6 \quad 7 \quad 1 \quad d \quad e \quad f \quad a \quad 8 \quad c \quad b$$

$$\Delta out = 3$$

$$\Delta in = 8$$
  $\rightarrow \Delta out = ?$ 

$$\Delta in = 8$$

$$x \quad 0 \quad 1 \quad 2 \quad 3 \quad 4 \quad 5 \quad 6 \quad 7 \quad 8 \quad 9 \quad a \quad b \quad c \quad d \quad e \quad f$$

$$S(x) \quad 2 \quad 0 \quad 4 \quad 3 \quad 9 \quad 5 \quad 6 \quad 7 \quad 1 \quad d \quad e \quad f \quad a \quad 8 \quad c \quad b$$

$$\Delta out = d$$

$$\Delta in = 8$$
  $\rightarrow$   $\Delta out = ?$ 

$$\Delta in = 8$$

$$x \quad 0 \quad 1 \quad 2 \quad 3 \quad 4 \quad 5 \quad 6 \quad 7 \quad 8 \quad 9 \quad a \quad b \quad c \quad d \quad e \quad f$$

$$S(x) \quad 2 \quad 0 \quad 4 \quad 3 \quad 9 \quad 5 \quad 6 \quad 7 \quad 1 \quad d \quad e \quad f \quad a \quad 8 \quad c \quad b$$

$$\Delta out = a$$

$$\Delta in = 8 \quad \rightarrow \quad \Delta out \, \in \{3, a, c, d\}$$

X																
S(x)	2	0	4	3	9	5	6	7	1	d	е	f	a	8	С	b

- Knowing the value tells us the difference
- Knowing the difference tells us (something about) the value:

$$solutions(\Delta in, \Delta out) := \{x : S(x \oplus \Delta in) \oplus S(x) = \Delta out\}$$

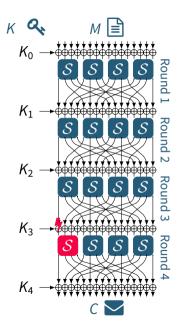
# Differential Distribution Table (DDT)

I\O	0	1	2	3	4	5	6	7	8	9	a	b	С	d	е	f
0	16	-	-	-	-	-	-	-	-	-	-	-	-	-	-	-
1	-	4	4	-	-	-	-	4	-	-	-	-	4	-	-	-
2	-	-	4	4	-	-	4	-	-	-	-	-	-	-	-	4
3	-	4	-	4	4	-	-	-	-	-	-	-	-	-	4	-
4	-	-	4	-	4	4	-	-	-	-	-	4	-	-	-	-
5	-	-	-	4	-	4	-	4	-	4	-	-	-	-	-	-
6	-	-	-	-	4	-	4	4	-	-	-	-	-	4	-	-
7	-	4	-	-	-	4	4	-	-	-	4	-	-	-	-	-
8	-	-	-	4	-	-	-	-	-	-	4	-	4	4	-	-
9	-	4	-	-	-	-	-	-	-	-	-	4	-	4	-	4
a	-	-	-	-	-	4	-	-	-	-	-	-	4	-	4	4
b	-	-	4	-	-	-	-	-	-	4	-	-	-	4	4	-
С	-	-	-	-	-	-	-	-	16	-	-	-	-	-	-	-
d	-	-	-	-	4	-	-	-	-	4	4	-	-	-	-	4
е	-	-	-	-	-	-	-	4	-	-	4	4	-	-	4	-

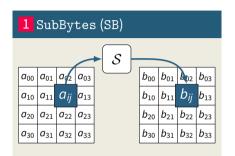
# Example: Let's Flip a Bit - Key Recovery

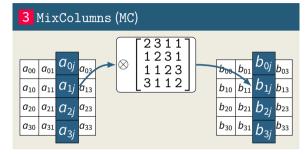
- 1. Obtain correct C ≥ and faulty C ≥
- 2. Compute the difference  $\Delta C = C \oplus C^{\dagger}$  and derive the S-box output difference
- 3. For each possible guess of the partial key:
  - Partially decrypt C, C<sup>†</sup> and check if the observed S-box input difference matches the fault model
  - If not, reject partial key candidate
- 4. Repeat to further narrow down the keys

This works for many ciphers in a similar way.

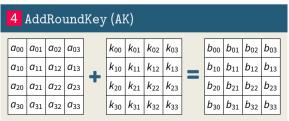


# Design of AES [DR02] – Round Function (10 or 12 or 14 Rounds)





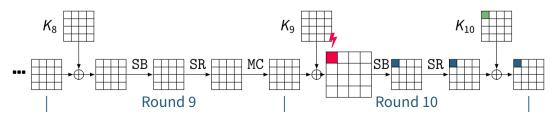




#### AES - Simple DFA

 Assume the attacker can cause precise 1-bit flips in Round 9 of AES, before S-box

- SB SubBytes SR - ShiftRows MC - MixColumns
- For each of 2<sup>8</sup> key guesses,
   Test if the partial decryption produces the expected 1-bit flip.



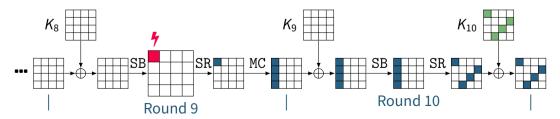
### AES – Piret and Quisquater's DFA [PQ03]

SB - SubBytes SR - ShiftRows MC - MixColumns

- Assume the attacker can cause imprecise 1-byte errors
- For each of 2<sup>32</sup> key guesses,

  Test if the partial decryption produces the expected 1-byte error.

  (This can be optimized to require only 2 faulty encryptions to recover the full key)



# Countermeasures



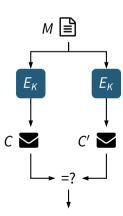
and Countermeasures against Countermeasures :-)

### **Types of Countermeasures**

- Physical level
  - Shielding of the circuit so that it's harder to access
  - Sensors that detect tampering
- **C** Implementation-level
  - Detect or correct errors
  - Randomize the execution details
- Protocol-level
  - Prevent an attacker from collecting useful data by limiting key usage, randomizing inputs, ...

#### **Error Detection**

- For DFA, the attacker requires the faulty ciphertext  $C^{\dagger}$  and the correct ciphertext C for the same plaintext M
- Countermeasure 1: Error Detection
  - Check the correctness of each encryption
  - For example by evaluating it twice
  - Only return result if correct



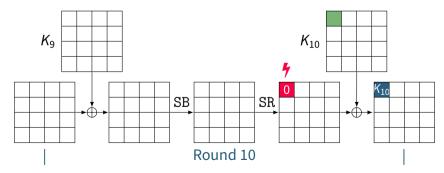
#### **Error Detection**

For DFA, the attacker requires the faulty ciphertext  $C^{\dagger}$  and the correct ciphertext C for the same plaintext M

- Countermeasure 2: Authenticated Encryption (AEAD) AEAD typically prevents DFA by design:
  - During AEAD Encryption, a random nonce is used to "randomize" the inputs  $M \rightarrow$  cannot get C,  $C^{f}$  for the same M
  - During AEAD Decryption, results are only returned if the authentication tag was verified correctly, so we don't get C\*

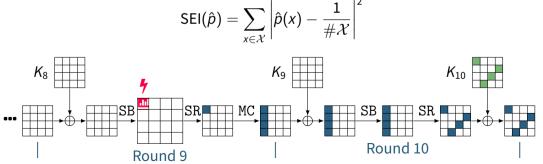
#### Ineffective Fault Attacks (IFA) [Cla07] and Friends

- Observation: In practice, it's often easier to cause biased errors than bitflips
- Example: Stuck-at-0 error sets bit (or byte) to 0
- If the attacker can reliably cause such errors, there are very simple attacks:



### Statistical Fault Attacks (SFA) [FJLT13]

- Assume the attacker can cause a biased error (e.g., reset to 0 with prob.  $\frac{1}{2}$ ).
- For each of  $2^{32}$  key guesses, Test if the partial decryption produces a non-uniform distribution with a metric such as the Squared Euclidean Imbalance (SEI) or Pearson's  $\chi^2$ :



#### Side-Channel Countermeasures

IFA allows to "peek" at intermediate values, similar to side-channel attacks.

Many side-channel countermeasures help against IFA and friends:

Hiding: Randomize the order of instructions, insert dummy instructions, etc., to make it harder for the attacker to hit the right bit

a Masking: Replace each data bit x by d+1 random bits  $x_0, x_1, \ldots, x_d$  with

$$X = X_0 \oplus X_1 \oplus \ldots \oplus X_d$$

Then learning up do d bits  $x_i$  is useless for the attacker.

# \_

Statistical Ineffective Fault Attacks

#### Statistical Ineffective Fault Attacks (SIFA) [DEK+18; DEG+18]

So far, we inserted faults right before / after S-boxes. When the attacker can only place 1 fault, error detection and/or masking prevent these attacks.

SIFA idea 1: Use only faulty encryptions where **no fault was detected**: This condition may lead to a **bias** in some intermediate variables!

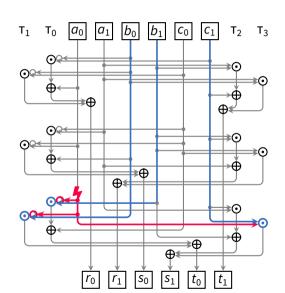
SIFA idea 2: Place fault inside the S-box circuit, but measure before/after S-box with SFA methods!

This approach can attack implementations with masking and error detection. It may, however, require more data (1000s of messages).

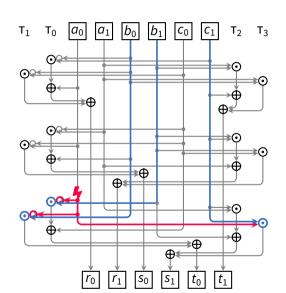
- Example S-box: A smaller version of SHA-3's S-box  $(\chi)$
- 3-bit input a, b, c, masked as
  - $\blacksquare$   $a=a_0\oplus a_1$
  - $\bullet b=b_0\oplus b_1$
  - lacksquare  $c = c_0 \oplus c_1$
- 3-bit output r, s, t, masked as
  - $r = r_0 \oplus r_1$
  - $s = s_0 \oplus s_1$
  - $\blacksquare \quad t=t_0\oplus t_1$
- Implemented as circuit of instructions / gates  $xor \oplus$ ,  $and \odot$ ,  $not \ominus$

```
Input: \{a_0, a_1, b_0, b_1, c_0, c_1\}
                                                                                                                      \mathsf{T}_0
                                                                                                                                                                                                   T_2
\mathsf{T}_0 \leftarrow \overline{b_0} \odot c_1 \; ; \; \mathsf{T}_2 \leftarrow a_1 \odot b_1
                                                                                                                      ⊙Q<
T_1 \leftarrow \overline{b_0} \odot c_0 : T_3 \leftarrow a_1 \odot b_0
T_0 \leftarrow T_0 \oplus a_0; T_2 \leftarrow T_2 \oplus c_1
r_0 \leftarrow T_0 \oplus T_1 : t_1 \leftarrow T_2 \oplus T_3
                                                                                                                      ⊙Q≪
\mathsf{T}_0 \leftarrow \overline{c_0} \odot a_1 \; ; \; \mathsf{T}_2 \leftarrow b_1 \odot c_1
\mathsf{T}_1 \leftarrow \overline{\mathsf{c}_0} \odot \mathsf{a}_0 \; ; \; \mathsf{T}_3 \leftarrow \mathsf{b}_1 \odot \mathsf{c}_0
\mathsf{T}_0 \leftarrow \mathsf{T}_0 \oplus b_0 \; ; \; \mathsf{T}_2 \leftarrow \mathsf{T}_2 \oplus a_1
s_0 \leftarrow T_0 \oplus T_1; r_1 \leftarrow T_2 \oplus T_3
                                                                                                                                                  ⊕≴
4a<sub>0</sub>
                                                                                                                       \odot
T_0 \leftarrow \overline{a_0} \odot b_1; T_2 \leftarrow c_1 \odot a_1
\mathsf{T}_1 \leftarrow \overline{a_0} \odot b_0 \; ; \; \mathsf{T}_3 \leftarrow c_1 \odot a_0
\mathsf{T}_0 \leftarrow \mathsf{T}_0 \oplus \mathsf{c}_0 \; ; \; \mathsf{T}_2 \leftarrow \mathsf{T}_2 \oplus \mathsf{b}_1
t_0 \leftarrow T_0 \oplus T_1 ; s_1 \leftarrow T_2 \oplus T_3
                                                                                                                                                                       ⊕=
Output: \{r_0, r_1, s_0, s_1, t_0, t_1\}
```

- Cause a bitflip fault in \$\frac{4}{7}a\_0\$
   at the indicated moment
- The faulty value goes into 3 ⊙s
- Correctness of the ⊙-output depends on the other input
  - if the other input is 0, the ⊙-output is correct
  - if the other input is 1, the ⊙-output is faulty



- The S-box output is correct if  $\odot$  with  $c_1$  is correct and
  - both  $\odot$ s with  $b_0, b_1$  are correct:  $b_0 = b_1 = 0$ , or
  - both  $\odot$ s with  $b_0, b_1$  are faulty:  $b_0 = b_1 = 1$
- Either way,  $b = b_0 \oplus b_1 = 0$
- If the cipher output is correct, learn b = 0 (bias)
- Use as before to recover the key!



#### SIFA Example: Application to AES

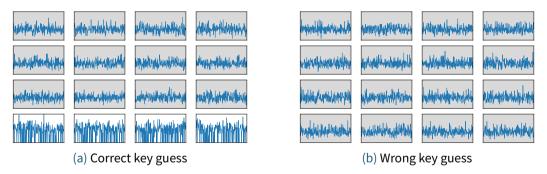
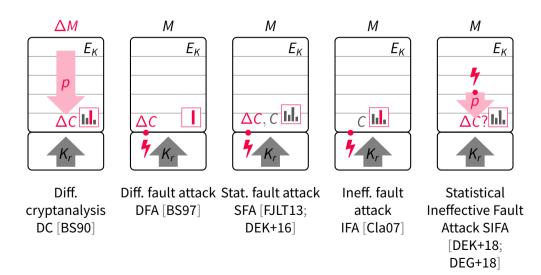
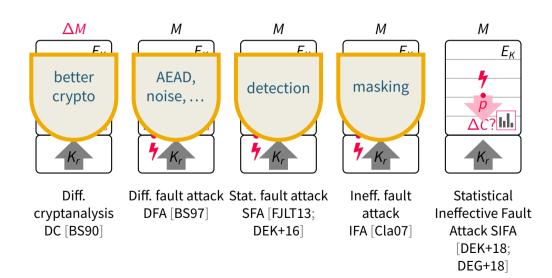


Figure: Results for bitsliced AES implementation on 32-bit platform (ARM Cortex M4) with masking (1st order) and error detection (temporal redundancy). Simulated byte-stuck-at-0 faults. Recovered distribution after S-box in round 9. [DEG+18]

#### Statistical (Ineffective) Fault Attacks



#### Statistical (Ineffective) Fault Attacks



#### Conclusion

- Fault attacks are a very powerful type of implementation attacks
- Countermeasures include error detection, side-channel countermeasures (hiding, masking), and physical protection
- With enough effort (money, time, data), attackers may be able to defeat countermeasures – make sure this effort is higher than it's worth!

# Questions ?



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