Intra- and Inter-Particle Resolved Simulations and Experiments on Thermal Transport in Confined Particle Beds

Thomas Forgber, Federico Municchi, Thomas Puffitsch, and Stefan Radl Institute of Process and Particle Engineering, Graz University of Technology, Austria.

Introduction

Models for thermal transport in dense fluid-particle suspension flows often rely Our Euler-Lagrange model relies on the tools CFDEM® and LIGGGHTS®, and we benchmark our simulation tools against a number of analytical solutions, on a number of assumptions, e.g., (i) a uniform intra-particle temperature profile, does not resolve flow details around the particle. Instead, we model the effect of e.g., that of Schumann [6]. Also, we employ a semi-analytical solution to a 1D or (ii) a two dimensional formulation of the flow system. We established a the surrounding fluid based on the previously developed closures. Intra-particle model (shown in Eqn. 2) for the mean particle temperature considering the generic, three-dimensional open-source simulation environment [1,2] to help in temperature profiles are predicted by using the tool "ParScale" [1], which dispersion due to random particle motion. relaxing some of these assumptions. Our new simulation environment allows one (i) to derive closures for per-particle heat transfer, as well as (ii) to consider intra-particle temperature profiles in Euler-Lagrange simulations (see Fig. 1). Here we demonstrate the fidelity of our tools using a set of benchmark simulations involving canonical flow situations.

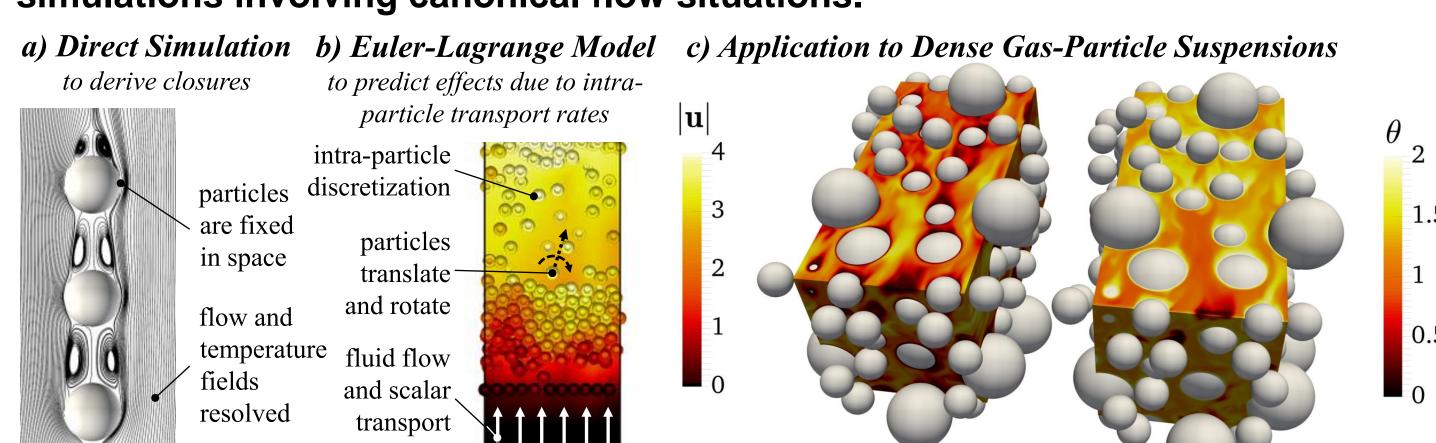


Fig. 1: Modeling approaches used (panel a,b), as well as illustration of the normalized flow and temperature field in a dense bi-disperse gas-particle suspension (panel c).

A Novel Hybrid FD/IB Method

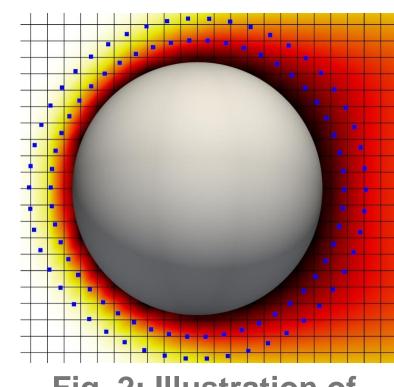


Fig. 2: Illustration of the HFD-IB algorithm.

We use Direct Numerical Simulations (DNS) relying on a novel Hybrid Fictitious Domain / Immersed Boundary algorithm (HFD-IB, [3]). This algorithm imposes rigidity inside the immersed bodies, and applies a Dirichlet boundary condition at the immersed surfaces using a second order accurate method. Specifically, we rely on a reconstruction of the flow and concentration field in the vicinity of the immersed surface using an interpolation technique (see blue dots in Fig. 2).

Per-Particle Transfer Coefficients

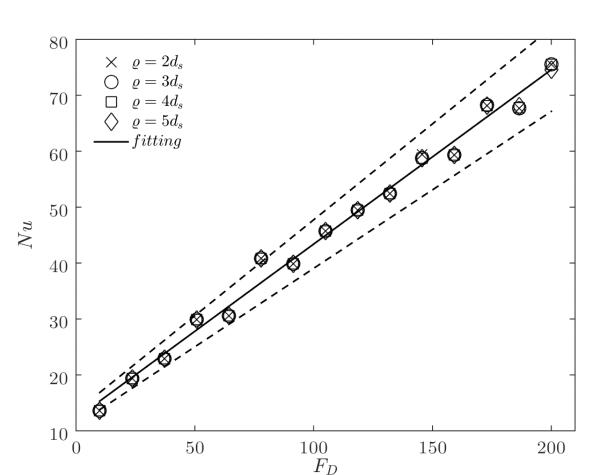


Fig. 3: Correlation between normalized drag force and particle-based Nusself number in a bi-disperse suspension

Currently, available closures attempt to model average transfer rates of momentum, heat, or species from a particle assembly. This is in contrast to the need for a per-particle transfer model to be used in Euler-Lagrange models.

We make use of the filtering toolbox "CPPPO" particle Nusselt number (see Fig. 3).

Euler-Lagrange Model & Intra-Particle Effects

$$\partial_t T + \nabla \cdot (-\lambda \nabla T) = 0 \quad (1)$$

approximates Eqn. (1) using spherical symmetry. Eqn. (1) is subject to a fixed gradient boundary conditions set by a predefined heat transfer rate.

Thermal Transport in the Bulk

We next aim on quantifying the effect of intraparticle heat conduction on thermal transport rates in a sheared granular material by:

- Enforcing a Lees-Edwards shear flow, as well as a fixed temperature gradient to the bed of mono-disperse particles.
- Modelling exchange with the surrounding fluid phase using a constant heat transfer coefficient.

We find that:

- Intra-particle temperature gradients are relevant for moderate Bi, i.e., for $Bi > 10^{-2}$.
- Convective thermal transport exceeds conduction even at moderate granular *Pe* (i.e., *Pe* > 0.01).

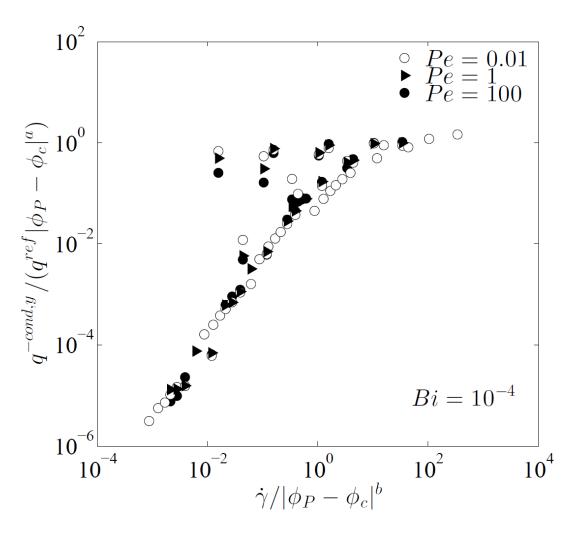


Fig. 4: Influence of the Pelect number on the conductive heat flux in different regimes of granular flow (slow cooling characterized by $Bi = 10^{-4}$).

Heat Transfer in Wall Bounded Domains

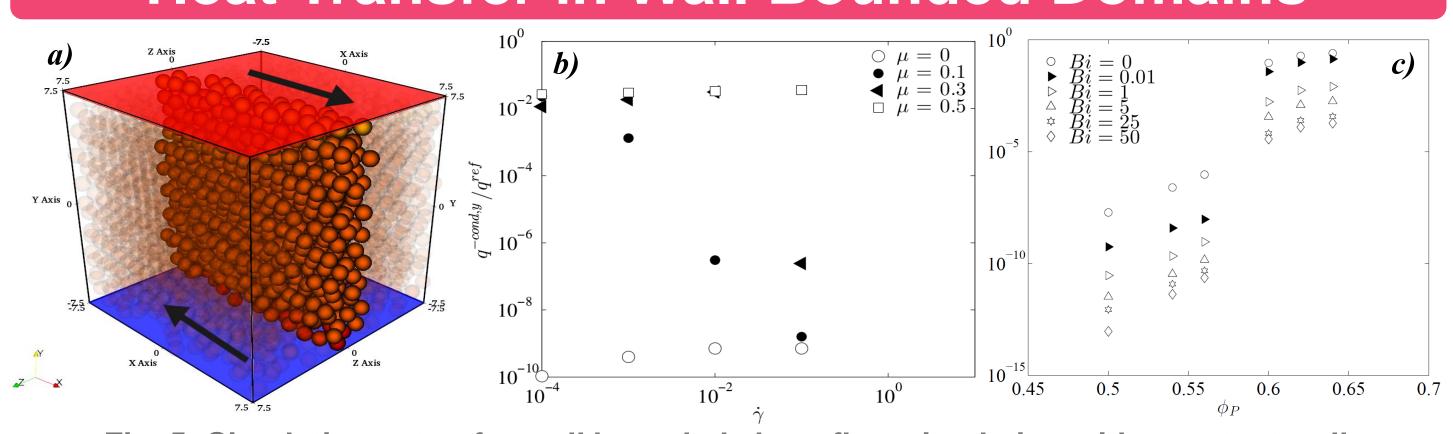
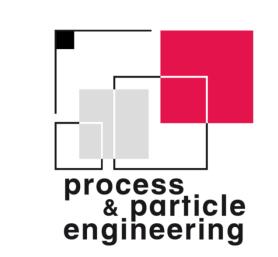
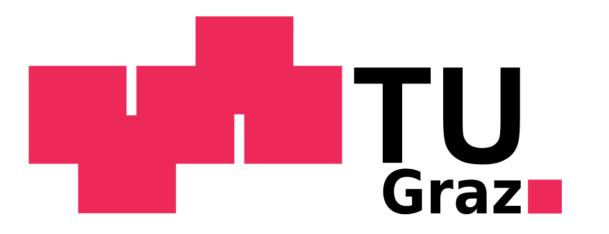


Fig. 5: Simulation setup for wall bounded shear flow simulation with constant wall temperatures (panel a). Conductive heat flux for crystallized and non-crystallized granular materials (panel b, Pe = 0.01, Bi = 0.1 and $\varphi_P = 0.64$). Effect of jamming (panel c, Pe = 0.01).

[4] to draw relevant statistics from a set of To complete our model for predicting thermal transport rates in granular DNSs considering dense bi-disperse particle materials, we next study granular flow between infinitly long walls moving in clouds. We then establish a model for counter-wise direction [5]. Wall temperatures are kept constant to impose a predicting per-particle drag coefficient based temperature gradient. We find that the heat conduction flux experiences (i) a Maxwell-Boltzmann distribution. large drop in case of crystallization (i.e., ordering of particles, panel b) and (ii) a Additionally, we asses the existence of an jump in case of jammed states (panel c). Surprisingly, the granular convective analogy between drag coefficient and per- heat flux is unchanged when crossing the critical jamming particle volume fraction.







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Analytical Model & Experiments

$$\partial_t T_p = 6\alpha / (d_p \rho_p c_{P,p}) (T_f - T_p) + D_p \partial_{zz} T_p$$
 (2)

Fig. 6 illustrates the outcome of some of these benchmark simulations, implementation, and highlighting some Biotnumber effects. Also, a benchmark against experimental data is presented.

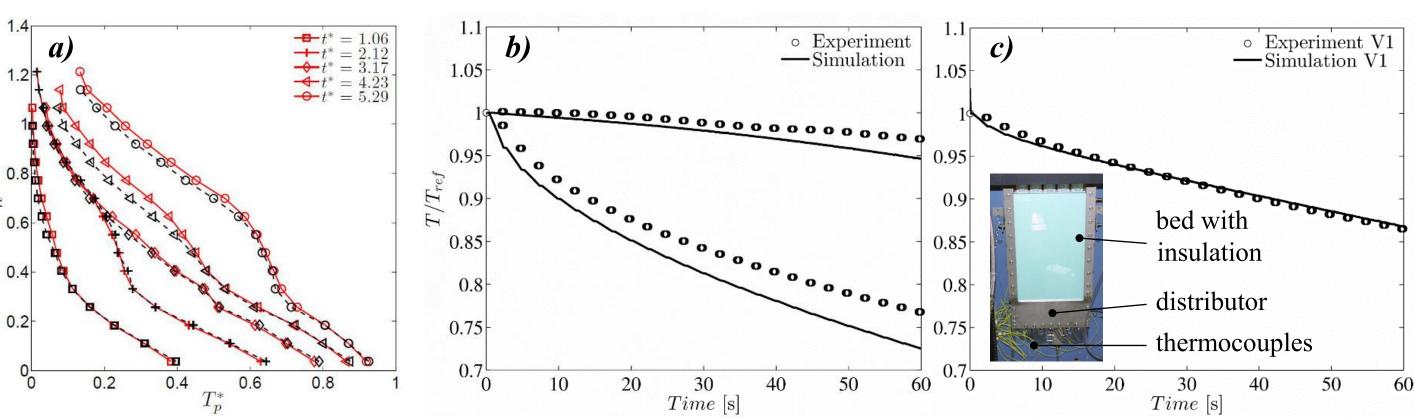


Fig. 6: Temporal progression of the mean particle temperature vs. bed height in a fluidized bed based on CFD-DEM simulations with ParScale (panel a, solid lines, Bi = 0.8), and using a semi-analytical solution to Eqn. 2 (dashed lines). Horizontal mean fluid temperatures at different positions in a fixed bed consisting of high-Biot number particles (panel b,c).

Conclusion & Outlook

Our newly developed closures account for the per-particle variability of transfer coefficients for momentum and energy. Our simulation platform can account for intra particle temperature profiles. We show that these effects should be considered, even at moderate Biot numbers, i.e., $Bi > 10^{-2}$, and slowlysheared flows.

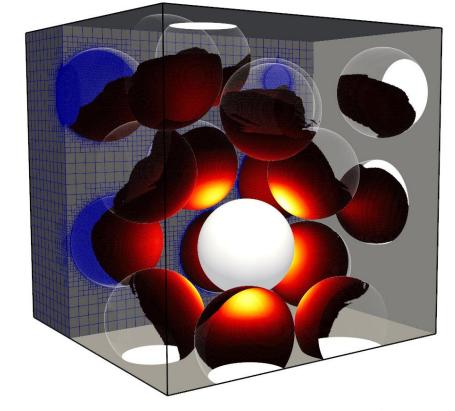


Fig. 8: Distribution of the incident radiative heat flux predicted by a finite-volume/discrete-ordinate method.

Nomenclature

- Biot number particle diameter
- particle index Nu Nusselt number
- drag coefficient q heat flux h* dimensionless height Pe Peclet number
- Temperature

mechanism (see Fig. 8).

u velocity

particle volume fraction

Fig. 7: Wall effect quantified via DNS of heat

transfer from a particle bed (x is the wall-

normal distance; symbols represent

different axial positions and filter sizes).

Our current efforts aim on expanding the

applicability of our tools to account for (i) wall

effects (see Fig. 7), as well as (ii) more

extreme temperature gradients for which

radiation becomes the leading thermal transfer

normalized temperature normalized filter size

friction coefficient

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